1.1 Square Roots of Perfect Squares February 11, 2015
Side Lengths and Areas of
Side Lengths and Areas of Squares
the area is the square of the side length
the side length
$\Lambda m = 1$
$Avea = [ungth]$ $= 5^2$
$\begin{array}{c c} & & & & \\ & & \\ & & & \\ & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & &$
- the side length is the square root of the area
root of the area
$lmgth = \sqrt{AV1a}$ $= \sqrt{2S}$ $= \sqrt{5} \times 5$
$=$ $\frac{1}{2}$
= 5
Mobe Number Savaris and
Mobile Number Squares and Square Roots

-the square of a # is the multiplied by itself $5^2 = 5 \times 5$ base exponent - A square root of a # is one of 2 equal factors of a # $\sqrt{25} = \sqrt{5} \times 5$ = 5Perfect Squares - a product of 2 equal factor 25 is a perfect square 25 = 5x5 24 is a non-perfect square The square of a fraction or dumant is the # multiplied by itself

ex
$$\left(\frac{2}{3}\right)^2 = \frac{2}{3} \times \frac{2}{3} = \frac{2 \times 2}{3 \times 3}$$
 $= \frac{2}{3} \times \frac{2}{3} = \frac{2 \times 2}{3 \times 3}$
 $= \frac{2}{9}$

Ex 2

 $\left(1.5\right)^2 = 15 \times 1.5$
 $= 2.25$

Is each fraction a perfect square?

a) $\frac{16}{25}$
 $= \frac{16}{25}$
 $= \frac{3 \times 3}{20}$
 $= \frac{3 \times 3}{5 \times 5}$
 $= \sqrt{11}$
 $= \frac{4}{5}$
not a perfect square?

- a terminating dieimal ends approximate of digits.

terminating 05 028
Vereating 0.33333. 0,3
D 191911 0, 19
Non-terminating and non Repeating
0.41421356 1.071067812.
the square root of a perfect square deaman is enthor a
terminating diemal or a reperating diemal
$\frac{E \times 1}{(a.)}$ 1.69 (b.) 3.5
=1.3 $=1.870828693$
Square X perfect

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